

## Introductory Lisp Exercises

Write some Lisp code to:

1. Find the length of a list
2. Reverse a list
3. Reverse a list and all its sublists
4. Take a list, and return a list containing all prefix sublists:  $(a\ b\ c) \rightarrow ((a)\ (a\ b)\ (a\ b\ c))$
5. Flattens a list, e.g.,  $((a\ b)\ ((c))\ d) \rightarrow (a\ b\ c\ d)$
6. Take two lists and return their Cartesian product, e.g.,  $(a\ b\ c)$  and  $(1\ 2) \rightarrow ((a\ 1)\ (a\ 2)\ (b\ 1)\ (b\ 2)\ (c\ 1)\ (c\ 2))$
7. Compute the sum of all integers from 1 to  $n$
8. Find the largest value in a list of numbers
9. Find the middle value in a list of numbers
10. Determine whether some value is a member of a list
11. Determine whether some value is a member of a list or any of its sublists
12. Take a value and a list and returns the list with all occurrences of that value removed
13. Take two values and a list and returns the list with all occurrences of the first value replaced by the second
14. Take a list and return a new list with all duplicated values removed
15. Define `equal` using only `eq`, `=`, `string=` and similar
16. Bubblesort a list of numbers
17. Quicksort a list of numbers
18. Sort a list of strings lexicographically
19. Take a list of values and a comparison function, and return the values sorted according to the function, e.g.,  $(3\ 2\ 1)$  and  $< \rightarrow (1\ 2\ 3)$
20. Take a predicate function and a list and return a new list of those elements of the list for which the predicate returns true
21. Take a function and a list and apply that function to each value in the list, returning a new list of the results
22. Return true is a list is a palindrome, e.g.,  $(1\ 2\ a\ b\ a\ 2\ 1)$  (do not use `reverse`)
23. Compute the gcd of two integers
24. Implement rationals as pairs of integers, and implement `+`, `-`, `*` and `/`
25. Evaluate simple prefix arithmetic expressions, e.g.,  $(+ (*\ 2\ 3)\ 5)$
26. Evaluate simple infix arithmetic expressions, e.g.,  $((2\ *\ 3)\ +\ 5)$

27. Take two functions  $f$  and  $g$  of one argument and return a function of one argument that is the function composite  $f \circ g$
28. Take a function  $f$  of two arguments and returns a function  $f_c$  of one argument that takes a value and returns a function that, when applied to a second value returns the value that  $f$  applied to the two values would have returned; i.e.,  $f_c(x)(y) = f(x, y)$
29. Take a function like  $f_c$  above, and returns a function  $f$  of two arguments such that  $f(x, y) = f_c(x)(y)$
30. Take a function  $f$  of one argument and a non-negative integer  $n$ , and returns a function  $f_n$  such that  $f_n$  is  $f$  applied  $n$  times; i.e.,  $f_n(x) = f(f(\dots(f(x))\dots))$

Course Web page: <http://people.bath.ac.uk/masrjb/CourseNotes/cm20214.html>